## Math 630-102 Homework #8 Due date: March 29, 2007

## <u>Group work on h/w assignments is not allowed. No credit is given for results</u> without a solution or an explanation. Late homework is not accepted.

## Section 3.3

**Problem 6.** Find the projection of *b* onto the column space of A  $\dots$  .Split b into p+q, with p in the column space and q perpendicular to that space. Which of the four subspaces contains q?

**Problem 24.** Find the best straight-line fit to the following measurements, and sketch your solution: y=-2 at t=-1, y=0 at t=0, y=-3 at t=1, y=-5 at t=2.

## Section 4.2

**Problem 2.** If a 3x3 matrix has det A = -1, find det(A/2), det (-A), det(A<sup>2</sup>), det(A<sup>-1</sup>)

**Problem 4.** By applying row operations to produce an upper triangular U, compute .... Exchange rows 3 and 4 of the second matrix and recomputed the pivots and determinant.

**Problem 5.** Count row exchanges to compute these determinants: det[...]=+1, det[...]=-1.

**Problem 10.** If Q is an orthogonal matrix, so that  $Q^{T}Q=I$ , prove that det Q equals +1 or - 1. What kind of box is formed from the rows (or columns) of Q?