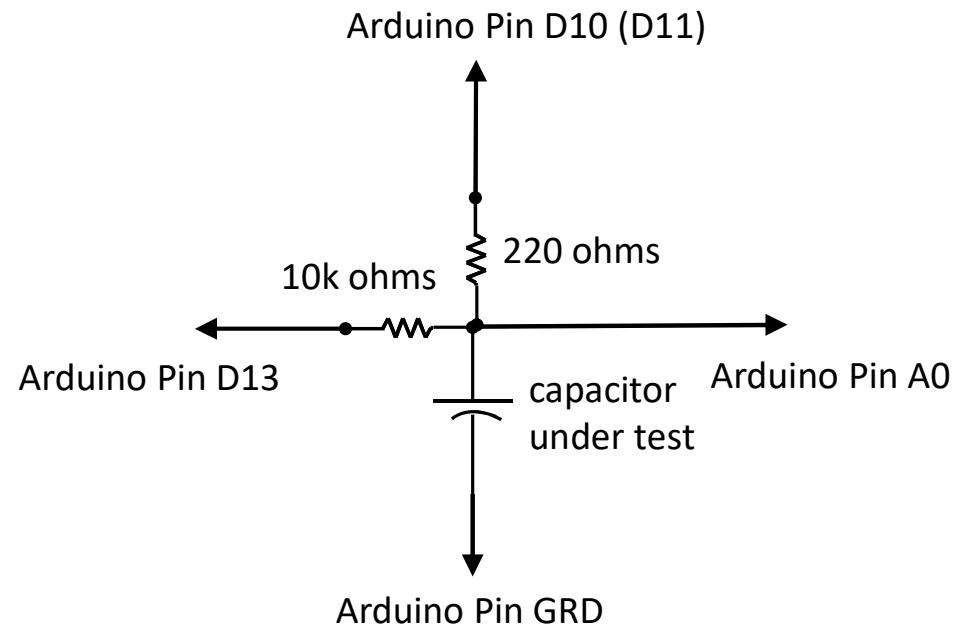


Project 3

Reading the value of a Capacitor and output to a LCD

Experiment 3: Determining the value of a Capacitor

1. Connect two known resistors (10k and 220) with a capacitor in the following fashion. If you use an electrolytic capacitor that the polarization of voltage applied matches the polarization of the capacitor terminals.



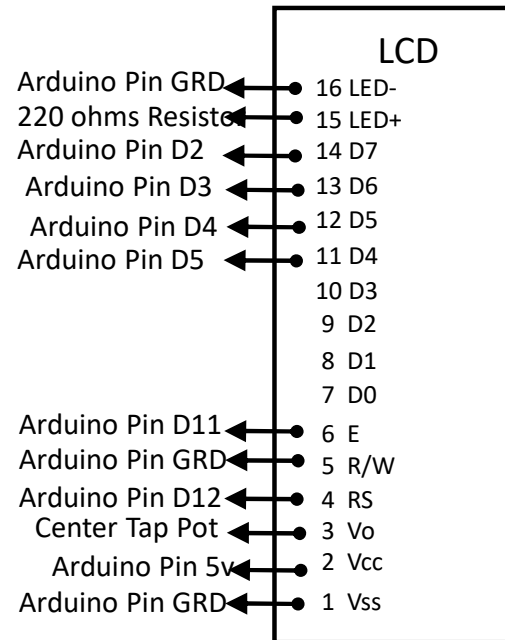
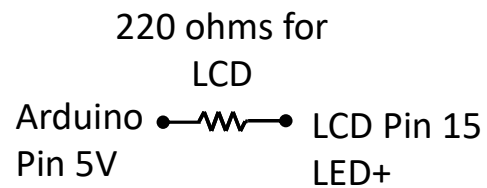
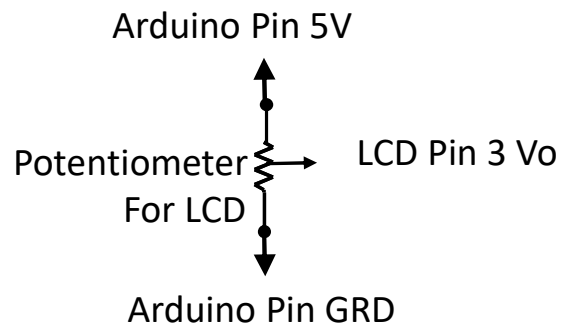
Experiment 3: Determining the value of a Capacitor Cont'd

2. In the sketch, set the charge pin to LOW and start the Serial Monitor.
3. Within the loop
 - a) Set the charge pin to HIGH
 - b) Capture the start time
 - c) Read the capacitor voltage until it reaches 648.
 - d) When it is less than 648 continue to read the capacitor voltage.
 - e) When it reaches 648,
 - I. Determine the elapsed time from the start and print it to the serial monitor
 - II. Find the capacitance from the elapsed time and 10k resistor
 - III. if the capacitance is greater than 1 then print the value of capacitance as microfarads
 - IV. If the capacitance is less than 1 then print the value of capacitance as nanofarads
 - V. Turn off the charge pin
 - VI. Ground the discharge pin and wait until the capacitor voltage reaches zero.

Experiment 3: Determining the value of a Capacitor Cont'd

4. Some things to do
 - a) Why does the threshold of the sketch < 648 ? Derive the equations.
 - b) Does the Capacitance reading from the sketch the same as the manufacturers designation.
5. Repeat the experiment with 2 different capacitors
6. Add an LCD to print out the results
7. Redo the sketch to handle picofarad capacitors

LCD Wiring



Experiment 4: Solution to Capacitor Sketch

$$v_c(t) = V - Ve^{-\left(\frac{t}{RC}\right)}$$

$$v_c(t \rightarrow \infty) \Big|_{\max} = V - Ve^{-\left(\frac{t \rightarrow \infty}{RC}\right)} = V$$

$$\frac{v_c(t = RC)}{V} = 1 - e^{-1} = 0.63$$

Analog outputs range from

0-1023

Therefore, $0.63 \times 1023 =$

$646.7 = 647$

Elapsed time, $t_{elapsed}$,

to reach 648 or 63.2%

of 5volts equals the

time constant, RC seconds.

$$C = \frac{t_{elapsed}}{R}$$