

### Example 1

Column footings (12'x12') for a proposed building carry a stress of 4 tsf. They are to be located 1ft away from the edge of the footings of an existing building which are 10' by 10' in plan. The centerlines of columns of the two buildings coincide.

What would be the increase in stress at 6' depth?

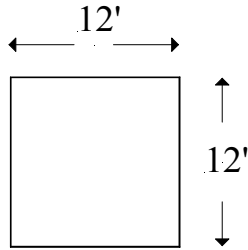
Below the corner of proposed footing

Below the middle of proposed footing

Below the middle of existing footing.

Solution (Example 1)

a. Corner of proposed footing

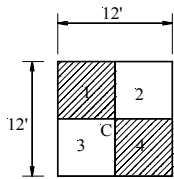
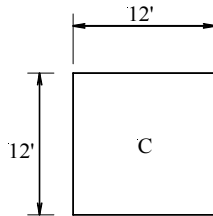


$$m = n = B/z = L/z = 12/6 = 2$$

$$I = 0.23247$$

$$\Delta\sigma = 0.23247 \times 4 \text{tsf} = 0.93 \text{ tsf}$$

b. Middle of proposed footing



$$m = n = B/z = L/z = 6/6 = 1$$

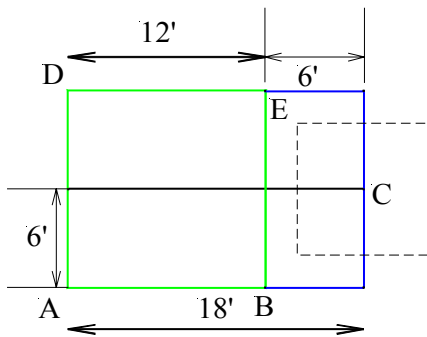
$$I = 0.17522$$

$$\Delta\sigma = 0.17522 \times 4 \times 4 = 2.804 \text{ tsf}$$

<sup>1</sup>c. Middle of existing footing

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<sup>1</sup>Note we can only find stress increase under a corner. Using superposition we must construct the stresses so that the point of interest can be brought under a corner.



$2 \times$  stress from area (AC- BC)

AC:  $m = (12+1+5)/6 = 3$        $n = 6/6 = 1$

$I = 0.20341$

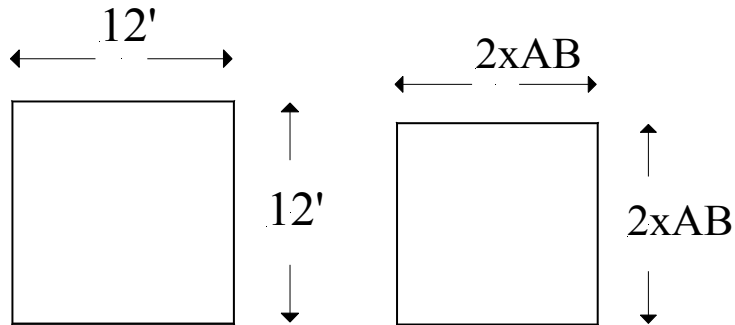
BC:  $m = (1+5)/6 = 1$        $n = 6/6$

$I_{BC} = 0.17522$

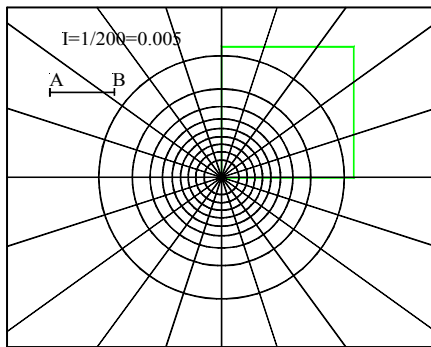
$\Delta\sigma = 2 \times 4 \times (0.20341 - 0.17522) = 0.226 \text{ tsf}$

Example 2

Do Example 1 using Newmark's chart.

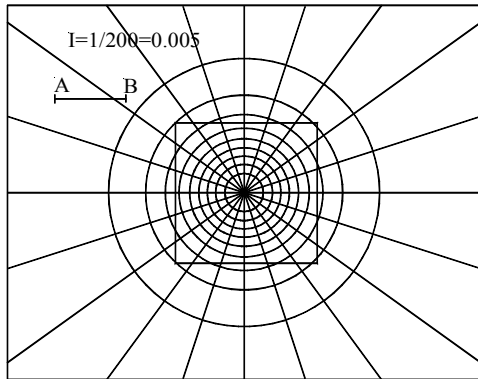


Corner of the proposed footing



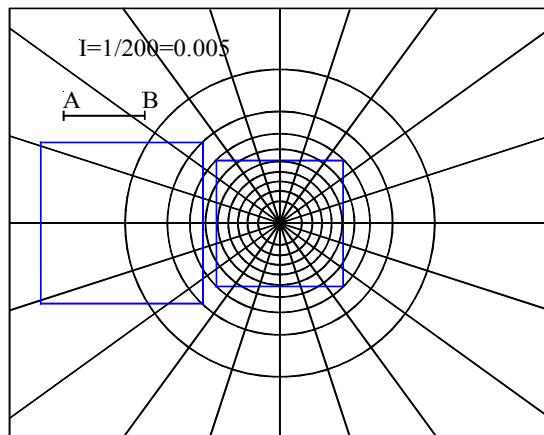
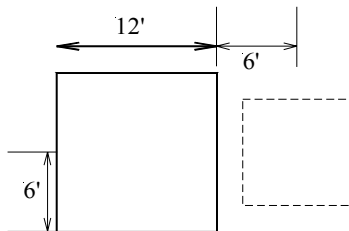
$\Delta\sigma = 0.005 \times 4 \times 45 = 0.90 \text{ tsf}$

b. Middle of proposed footing



$$\Delta\sigma = 0.005 \times 4 \times 144 = 2.88 \text{ tsf}$$

c. Middle of existing footing



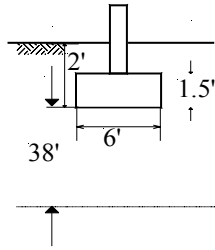
$$\Delta\sigma = 0.005 \times 4 \times 12 = 0.24 \text{ tsf}$$

Example 3

A 6'×6' column footing is 1.5' thick and is located 2' below ground in a silty clay 40 ft thick with  $c_u = 1.5$  tsf, and  $\gamma = 115$  pcf. Column load is 110 tons. Determine its elastic settlement.

Solution

$$E_s = 350 \times 1.5 = 525 \text{ tsf}$$



$$q_0 = 110/6 \times 6 + 1.5 \times 150/2000 + 0.5 \times 115/2000 = 3.2 \text{ tsf}$$

$$D_f/B = 2/6 = 0.33$$

$$H/B = (40-2)/6 = 6.3$$

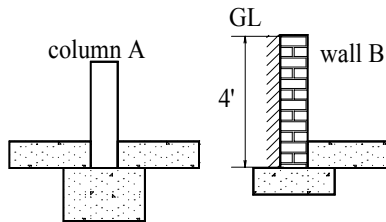
$$^2A_2 = 0.97 \quad A_1 = 0.68$$

$$S_e = 0.97 \times 0.68 \frac{3.2 \times 6}{525} = 0.024' = 0.29''$$

Example 4

Design footings for the foundation arrangement shown. Floor slab thickness = 6" and unit weight of underlying sand is  $\gamma = 120 \text{ pcf}$ . No ground water was detected.

	LL	DL
Column A	60 T	170 T
Wall B	4 T/ft	2.2 T/ft



Solution (Example 4)

depth, ft	$N_{F\Box}$	$\sigma'$ , tsf	$C_N = (1/\sigma')^{0.5}$	$N_{cor}$	$^3N_{avg}$
5	12	0.3	1.826	21	21
7.5	15	0.45	1.491	22	22
10	18	0.6	1.291	23	22
12.5	19	0.75	1.155	22	22
15	23	0.9	1.054	24	23
20	25	1.2	0.913	23	23

Footing A:

$$\text{Total load} = 60 + 170 = 230 \text{ tons}$$

$$\text{Average } N_{avg} = 22,$$

$$q_{all} = \frac{N_{avg}}{10} = \frac{22}{10} = 2.2 \text{ tsf}$$

Try

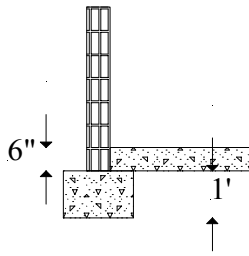
$$q_{net}(\text{all}) \text{ tsf} = 0.125 N_{cor} \times F_d \times (1 + 1/B)^2 \times S \text{ for } B > 4 \text{ ft}$$

$$F_d = 1 + 0.33(3/10.25) = 1.097$$

$$\text{Let } S = 1'',$$

<sup>2</sup> From Fig. 4.21

<sup>3</sup> running average



$$q_{\text{net(all) tsf}} = 0.125 \times 22 \times 1.097 \times (1 + 1/10.25)^2 \times 1$$

$$q_{\text{net(all) tsf}} = 3.63 \text{ tsf}$$

$$B = \sqrt{\frac{230}{3.63}} = 7.96$$

Revised, Try 8' × 8'

Assume footing thickness as 2'-6".

Check soil pressure

Source	Stress computations	tsf
Column loads	230/8×8	3.59
floor slab + footing	(0.5+2.5) ×150/2000	0.225
surcharge, slab + soil	-(0.5×150 +2.5×120)/2000	-0.188 <sup>4</sup>
Total stress		3.63

Hence footing width is OK.

Wall footing B

Assume footing thickness = 1', D<sub>f</sub>=1'-6"

As first trial use q<sub>a</sub> determined for column footing A

$$6.2/3.63 = 1.707, \text{ try } 1' - 9'' \text{ by } 1' - 9''$$

$$q_{\text{net(all) tsf}} = 0.2 N_{\text{cor}} \times F_d \times S \text{ for } B \leq 4 \text{ ft}$$

$$F_d = 1 + 0.33(1.5/1.75) = 1.282$$

$$q_a = 0.2 \times 22 \times 1.282 \times 1 = 5.64 \text{ tsf}$$

$$B = 6.2/5.64 = 1.09' \text{ Try } 1' 3'' \text{ by } 1' 3''$$

$$F_d = 1 + 1.5/1.25 = 1.396 > 1.33, \text{ use } 1.33$$

$$q_a = 0.2 \times 22 \times 1.33 \times 1 = 5.85 \text{ tsf}$$

Check soil pressure

Source	Computations	tsf
Wall load	6.2/1.25	4.96
floor slab + footing	(1.0+0.5)×150/2000	0.113
surcharge, slab + soil	-(0.5×150 +1×120)/2000	-0.098
Total		4.97

1' 3'' wide footing is OK (Note: Bearing capacity controls)

Example 5

Plate load test data for two plates are as follows:

Dia, m	Stress, kPa	Settlement, mm
0.305	400	7.75
0.762	400	13

<sup>4</sup> difference between these two is thickness of footing times difference in unit weight of soil and concrete, i.e.,  $2.5(0.15-0.12)/2 = 0.038 \text{ tsf}$ .

Determine settlement of a 1.5m×1.5m footing with a stress of 400 kPa.

If load-settlement curve is linear determine maximum footing load if settlement is not to exceed 13mm.

Solution

$$a. \quad 13 = 7.75 \left( \frac{0.762}{0.305} \right)^n \rightarrow n = 0.565$$

$$S_F = 13 \left( \frac{1.5}{0.762} \right)^{0.565} \rightarrow = 19.06 \text{ mm}$$

Maximum footing load

$$\frac{13}{19.06} \times 400 \times 1.5 \times 1.5 = 614 \text{ kN}$$

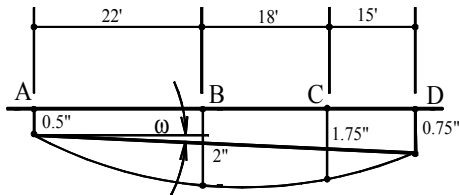
Example 6

In a reinforced structure, columns A-D have spacing of 22', 18', and 15'. Estimated column settlements are 0.50", 2.0", 1.75" and 0.75".

a. Is this structure acceptable for 1955 USSR code?

Would first crack appear in panel wall (Wahls, 1981)?

Solution:



$$\omega = \frac{0.75 - 0.5}{12(22 + 18 + 15)} = 0.0004$$

$$\eta_{AB} = \frac{2.0 - 0.5}{12 \times 22} - 0.0004 = 0.0053 > 0.002 \rightarrow \text{NG}$$

$$\eta_{BC} = \frac{2.0 - 1.75}{12 \times 18} - 0.0004 = 0.0008 < 0.002 \rightarrow \text{OK}$$

$$\eta_{CD} = \frac{1.75 - 0.75}{12 \times 15} - 0.0004 = 0.00516 > 0.002 \rightarrow \text{NG}$$

$1/300 = 0.0033 < 0.00516$  first cracks will occur between AB & CD