

## Physics 103 CQZ2 SOLUTIONS and EXPLANATIONS

1. The specific heat of lead is  $c = 0.030 \text{ cal/g} \cdot ^\circ\text{C}$ . 300 g of lead shots at  $100^\circ\text{C}$  are mixed with 100 g of water ( $c = 1.0 \text{ cal/g} \cdot ^\circ\text{C}$ ) at  $70^\circ\text{C}$ . The final temperature of the mixture is:

- A.  $100^\circ\text{C}$
- B.  $85.5^\circ\text{C}$
- C.  $79.5^\circ\text{C}$
- D.  $72.5^\circ\text{C}$
- E.  $70^\circ\text{C}$

$$Q = mc\Delta T$$

Heat lost = Heat gained

Put in the numbers for lead in the equation and set it equal to the numbers for water.

Solve for temperature T.

$$300\text{g}(0.030 \text{ cal/g} \cdot ^\circ\text{C})(100^\circ\text{C} - T_f) = 900 - 9 T_f$$

$$100\text{g}(1 \text{ cal/g} \cdot ^\circ\text{C})(T_f - 70) = 100 T_f - 7000$$

$$900 - 9 T_f = 100 T_f - 700$$

$$\underline{7900} = \underline{109 T_f}$$

$$\frac{7900}{109} = \frac{109 T_f}{109}$$

$$T_f = 72.5^\circ\text{C}$$

2. An ideal gas occupies  $1 \text{ m}^3$  when its temperature is 100 K and its pressure is 3 atm. Its temperature is now raised to 400 K and its volume increased to  $2 \text{ m}^3$ . The new pressure is:

- A. 1.5 atm
- B. 3 atm
- C. 6 atm
- D. 0.547 atm
- E. 0.333 atm

$$P_1 V_1 / T_1 = P_2 V_2 / T_2$$

Solve for Pressure  $P_2$  by setting the two equations equal to each other.

Multiply  $P_1$  by  $V_1$  and divide by temperature  $T_1$ . Then do the same thing to  $P_2$ ,  $V_2$ , and  $T_2$ :

$$\frac{3 \text{ atm}(1\text{m}^3)}{100 \text{ K}} = \frac{P_2(2\text{m}^3)}{400\text{K}}$$

$$P_2 = 6 \text{ atm}$$

3. What is the temperature of 2 moles of ideal gas at a pressure of 400 kPa held in a volume of  $15 \times 10^{-3} \text{ m}^3$ ?
- A.  $102^\circ\text{C}$
  - B.  $88^\circ\text{C}$
  - C.  $33^\circ\text{C}$
  - D.  $-22^\circ\text{C}$
  - E.  $-66^\circ\text{C}$

Use ideal gas law equation and solve for temperature T

$$PV = nRT$$

$$T = \frac{PV}{nR}$$

Convert 400 kPa to Pascals (400,000)

$$P = 400,000$$

$$V = 15 \times 10^{-3} \text{ m}^3$$

$$n = 2$$

$$R = 8.31 \text{ J/K}$$

$$T = \frac{400,000 (15 \times 10^{-3})}{2(8.31)}$$

$$= 361.01 \text{ }^\circ\text{K}$$

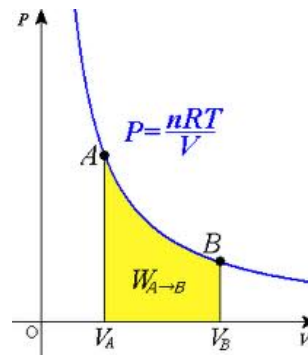
Convert temperature Kelvin to Celsius

$$(361 - 273 = 88)$$

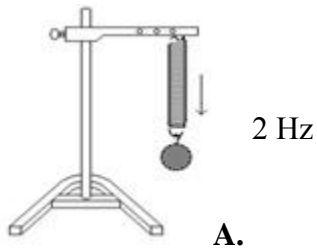
$$= 88^\circ\text{C}$$

4. An isothermal process ( $T = \text{Constant}$ ) for an ideal gas is represented on a  $p$ - $V$  diagram by:
- A. a horizontal line
  - B. a vertical line
  - C. a portion of an ellipse
  - D. a portion of a parabola
  - E. a hyperbola

In an isothermal process, the temperature of a system does not change. It is shown on a  $p$ - $V$  diagram by a hyperbola. (See page 396 in textbook)



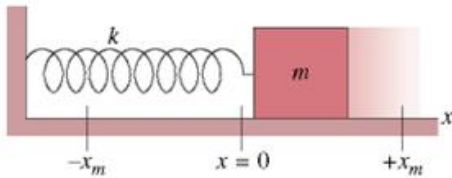
5. An object attached to one end of a spring makes 20 vibrations in 10 s. Its period is:



- B.** 10 s
- C.** 0.5 Hz
- D.** 2 s
- E.** 0.50 s

Period is equal to time per one vibration. In this case  $T = 10/20$   
 $T = .50$  s

- 6.** A 0.20-kg object mass attached to a spring whose spring constant is 500 N/m executes simple harmonic motion. If its maximum speed is 5.0 m/s, the amplitude of its oscillation is:



- A.** 0.0020 m
- B.** 0.10 m
- C.** 0.20 m
- D.** 25 m
- E.** 250 m

The amplitude, angular frequency, and maximum velocity are related as follows:  $v = \omega \times A$ .  
 Angular frequency is  $\omega = (k/m)^{1/2}$   
 The amplitude of oscillations is:  
 $A = v / \omega = v * (m/k)^{1/2} = 5 * (0.2/500)^{1/2}$   
 $= 0.1$  m

- 7.** A particle moves in simple harmonic motion according to  $x = 2\cos(50t)$ , where  $x$  is in meters

and  $t$  is in seconds.

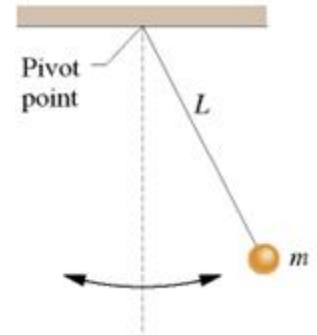
Its **maximum velocity** in m/s is:

- A.  $100 \sin(50t)$
- B.  $100 \cos(50t)$
- C. **100**
- D. 200
- E. none of these

According to the laws of simple harmonic motion,

$$v_{\max} = A \cdot \omega = 2 \cdot 50 = 100 \text{ m/s}$$

8. A simple pendulum of length  $L$  and mass  $m$  has frequency  $f$ . To increase its frequency to  $2f$ :



- A. increase its length to  $4L$
- B. increase its length to  $2L$
- C. decrease its length to  $L/2$
- D. **decrease its length to  $L/4$**
- E. decrease its mass to  $m/4$

The period of a simple pendulum does not depend on the mass, but on the length of the string.

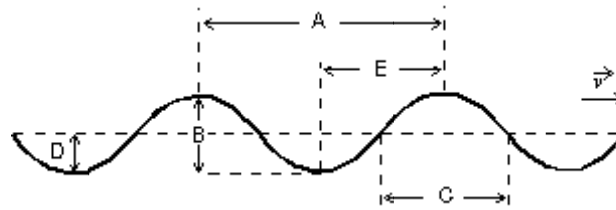
By looking at the equation for angular frequency:

$$f_1 = \sqrt{g / L_1}$$

we can understand that the length divided by 4 would result in a frequency that is twice its original value.  $f_2 = \sqrt{g / (L_1 / 4)} = 2\sqrt{g / L_1} = 2f_1$

9. A sinusoidal mechanical wave is traveling toward the right as shown. Which letter correctly

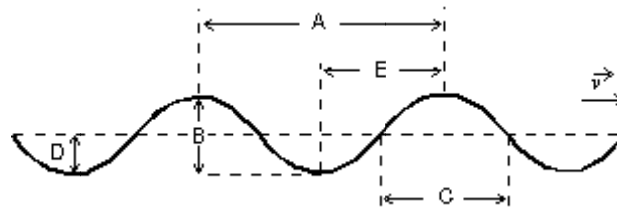
labels the amplitude of the wave?



- A. A
- B. B
- C. C
- D. D
- E. E

In a sinusoidal mechanical wave, the amplitude is described as the outermost positive or negative displacement from the undisturbed position of the medium to the top or bottom of a crest.

10. A sinusoidal wave is traveling toward the right as shown. Which letter correctly labels the wavelength of the wave?



- A. A
- B. B
- C. C
- D. D
- E. E

In a sinusoidal mechanical wave, the wavelength is described as the distance between any two adjacent equivalent locations on the wave. In this case, A shows the distance from one maximum to another. A is the wavelength. C and E is  $\frac{1}{2}$  of the wavelength. B is a double amplitude.

11. A wave is described by  $y(x,t) = 0.1 \sin(3x - 10t)$ , where  $x$  is in meters,  $y$  is in centimeters and  $t$  is in seconds. The angular frequency is:
- A. 0.10 rad/s
  - B. 3.0 rad/s
  - C.  $10\pi$  rad/s
  - D.  $20\pi$  rad/s
  - E. 10/ rad/s

Angular frequency is the parameter that is multiplied by time ( $t$ ). So, it is the number 10, which should be measured in rad/s.

12. The speed of a sinusoidal wave on a string depends on:
- A. the frequency of the wave
  - B. the wavelength of the wave
  - C. the length of the string
  - D. the tension in the string
  - E. the amplitude of the wave

The speed of a wave depends only on properties of the medium, such as  $v = \sqrt{\tau / \mu}$ , where the ratio under the square root is tension/linear mass. The speed of a wave does not depend on frequency, wavelength, or amplitude. When tension increases, the speed of the string is affected as well.

13. The tension in a string with a linear density of 0.0010 kg/m is 0.40 N. A 100 Hz sinusoidal wave on this string has a wavelength of:
- A. 0.05 cm
  - B. 2.0 cm
  - C. 5.0 cm
  - D. 20 cm
  - E. 100 cm

First use this equation to find the wave speed:  $v = \sqrt{\tau / \mu} = \sqrt{0.4 / 0.001} = 20 \text{ m / s}$

Then use the equation for solving frequency of a wavelength, and solve for wavelength  $\lambda = v/f = 20/100 = .2 \text{ m} = 20 \text{ cm}$ .

14. A stretched string, clamped at its ends, vibrates in its fundamental frequency.

To double the fundamental frequency, one can change the string tension by a factor of:

- A. 2
- B. 4**
- C.  $\sqrt{2}$
- D. 1/2
- E.  $1/\sqrt{2}$



$f = v / \lambda = \sqrt{\tau / \mu} / \lambda$  , To double the fundamental frequency, one can change the string tension by a factor of 4. Wavelength is defined by the clamps.

15. The speed of a sound wave inside a medium (for example in the air, water, or stone) is determined by:

- A. its amplitude
- B. its intensity
- C. its pitch
- D. number of overtones present
- E. the transmitting medium**

The speed of a wave depends only on properties of the medium - not the frequency, wavelength, or amplitude.

16. A fire whistle emits a tone of 170 Hz. Take the speed of sound in air to be 340 m/s. The wavelength of this sound is about:

- A. 0.5 m
- B. 1.0 m
- C. 2.0 m**
- D. 3.0 m
- E. 340 m

Use this equation and solve for wavelength

$$v = \lambda f$$

$$\lambda = \frac{v}{f}$$

$$= 340/170$$

$$= 2.0 \text{ m}$$

17. The intensity of sound wave **A** is 100 times that of sound wave **B**. Relative to wave B the sound level of wave A is:

- A. -2 db
- B. +2 db
- C. +10 db
- D. +20 db
- E. +100 db

$$B: 10\log(1/10^{-12}) = 120$$

$$A: 10\log(100/10^{-12}) = 140$$

$$A-B = 140-120 = 20$$

$$= +20\text{db}$$

18. The intensity of a certain sound wave is  $6 \mu\text{W}/\text{cm}^2$ . If its intensity is raised by 10 decibels, the new intensity (in  $\mu\text{W}/\text{cm}^2$ ) is:

- A. 60
- B. 6.6
- C. 6.06
- D. 600
- E. 12

Decibels are relative numbers. For sound intensity, the dB difference depends on the ratio of the two intensities as

$$\text{dB} = 10 \log (I_2/I_1),$$

$I_1$  and  $I_2$  are the two intensities

$$10 = 10 \log (I/6)$$

$$1 = \log(I/6)$$

$$10 = I/6$$

$$I=60$$



19. A source emits sound with a frequency of 1000 Hz. Both, a source and an observer are moving **in the same direction** with the same speed of 100 m/s. If the speed of sound is 340 m/s, the observer hears sound with a frequency of:
- A. 294 Hz
  - B. 545 Hz
  - C. 1000 Hz
  - D. 1830 Hz
  - E. 3400 Hz

Solve for the frequency using the Doppler Effect Equation.

$$f_s = 1000 \text{ Hz}$$

$$v_s = 100 \text{ m/s}$$

$$v = 340 \text{ m/s}$$

$$v_0 = 0$$

$$f_0 = f_s (v + v_0/v - v_s)$$

$$= 1000*(340 - 100)/(340 - 100)$$

$$= 1000(1)$$

$$= 1000 \text{ Hz}$$

20. A source emits sound with a frequency of 1000 Hz. A source and an observer are moving **toward each other**, each with a speed of 100 m/s. If the speed of sound is 340 m/s, the observer hears sound with a frequency of:
- A. 294 Hz
  - B. 545 Hz
  - C. 1000 Hz
  - D. 1830 Hz
  - E. 3400 Hz

Solve for the frequency using the Doppler Effect Equation.

$$f_s = 1000 \text{ Hz}$$

$$v_s = 100 \text{ m/s}$$

$$v = 340 \text{ m/s (speed of sound)}$$

$$v_0 = 100 \text{ Hz}$$

$$f_0 = f_s (v + v_0/v - v_s) = 1000*(340 + 100)/(340 - 100) = 1000(440/240) = 1830 \text{ Hz}$$