Lecture 2

Motion along a straight line (HR&W, Chapter 2)

Physics 105; Summer 2006

Andrei Sirenko, NJIT

Motion along a straight line

> Motion

Lecture 2

- » Position and Displacement
- > Average velocity and average speed
- > Instantaneous velocity and speed
- Acceleration
- > Constant acceleration: A special case

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> Free fall acceleration

Motion	along	a straight	line
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- this is the simplest type of motion
- it lays the groundwork for more

complex motion

Kinematic variables in one dimension

Position x(t) meters v(t) meters/second Velocity a(t) meters/second²

Acceleration

All depend on time

All are vectors: have direction and magnitude.

Motion Everything moves! Classification and comparison of motion ⇒ kinematics Simplification Newark – Motion along straight LA line - Forces cause changes in motion - Moving object is a particle or moves like a particle particle

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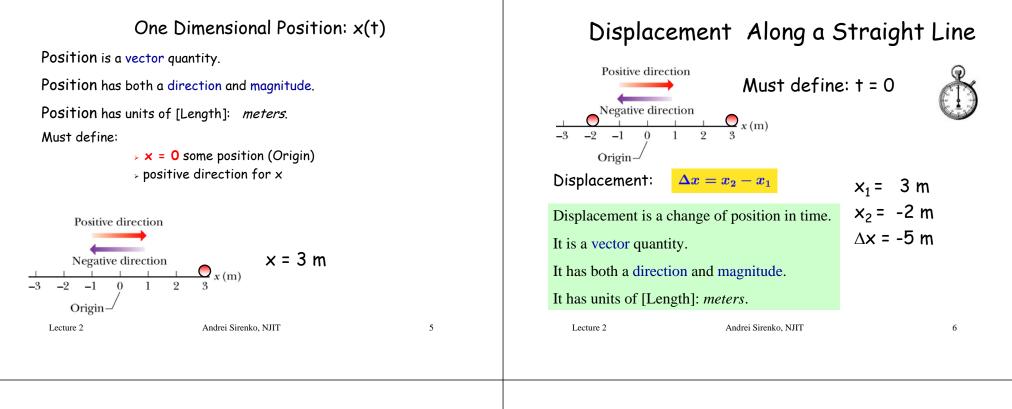
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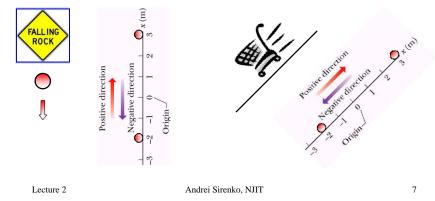
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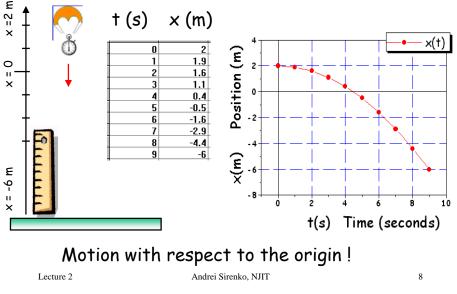


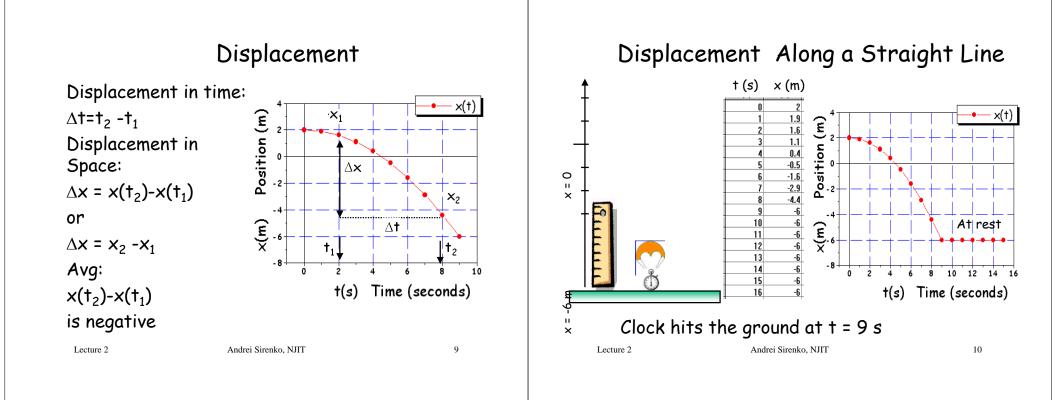
Displacement Along a Straight Line

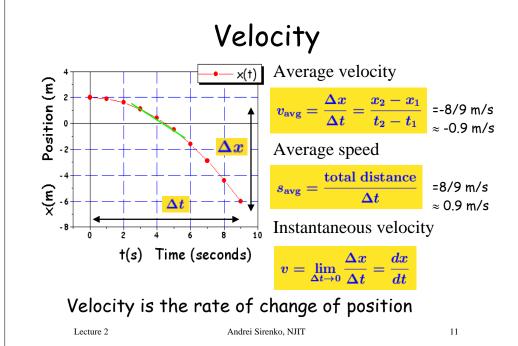
t=0; (start the clock) x = 0; (origin) x(t=0) does not have to be 0 Straight line can be oriented Horizontal, vertical, or at some angle



Displacement Along a Straight Line







Velocity is a vector !

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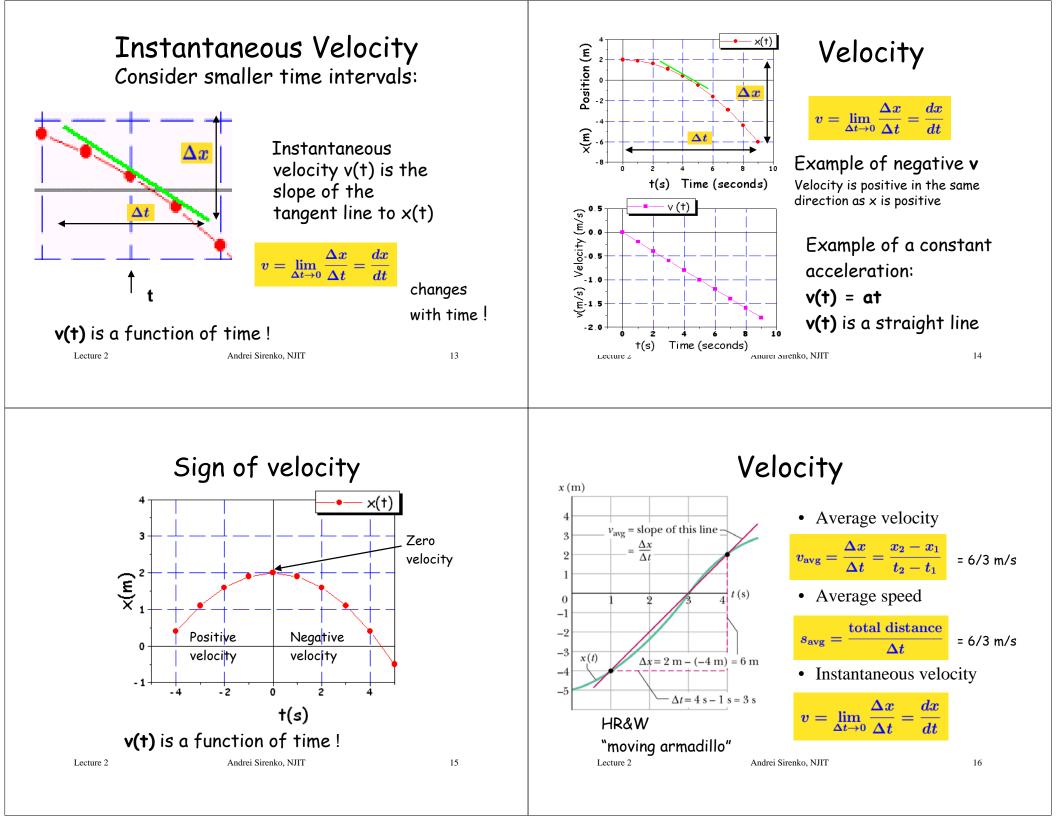


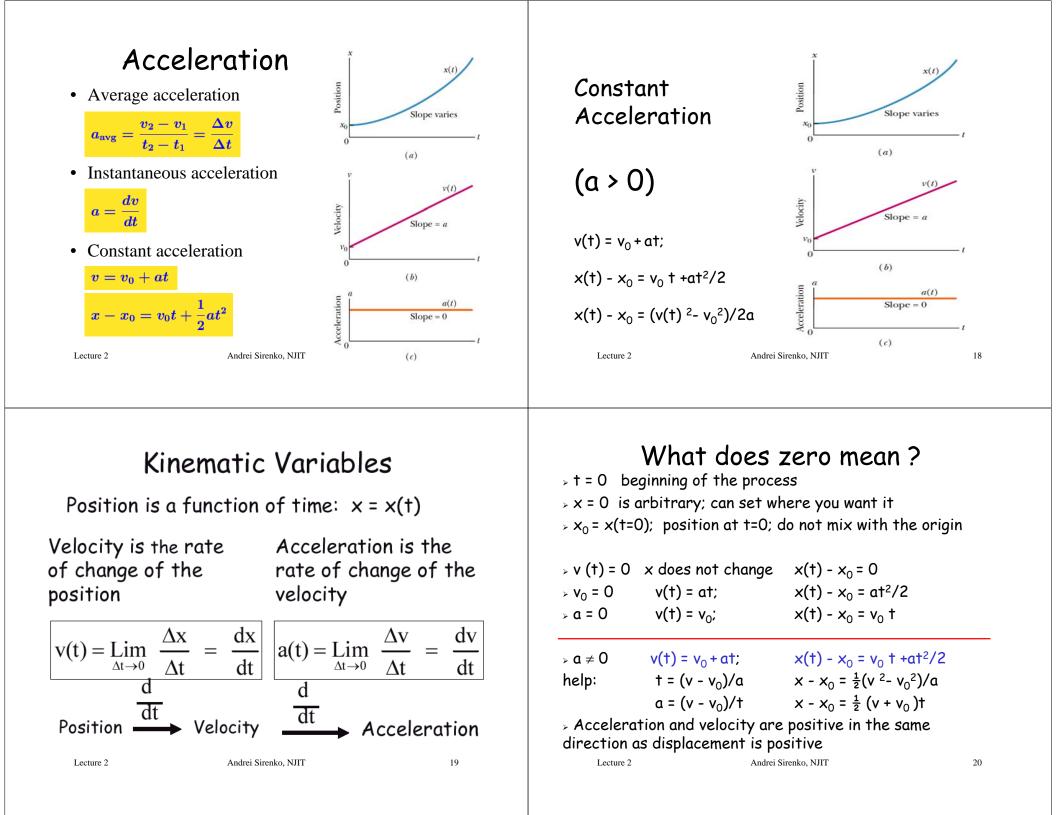
Velocity has direction ! Velocity can change with time

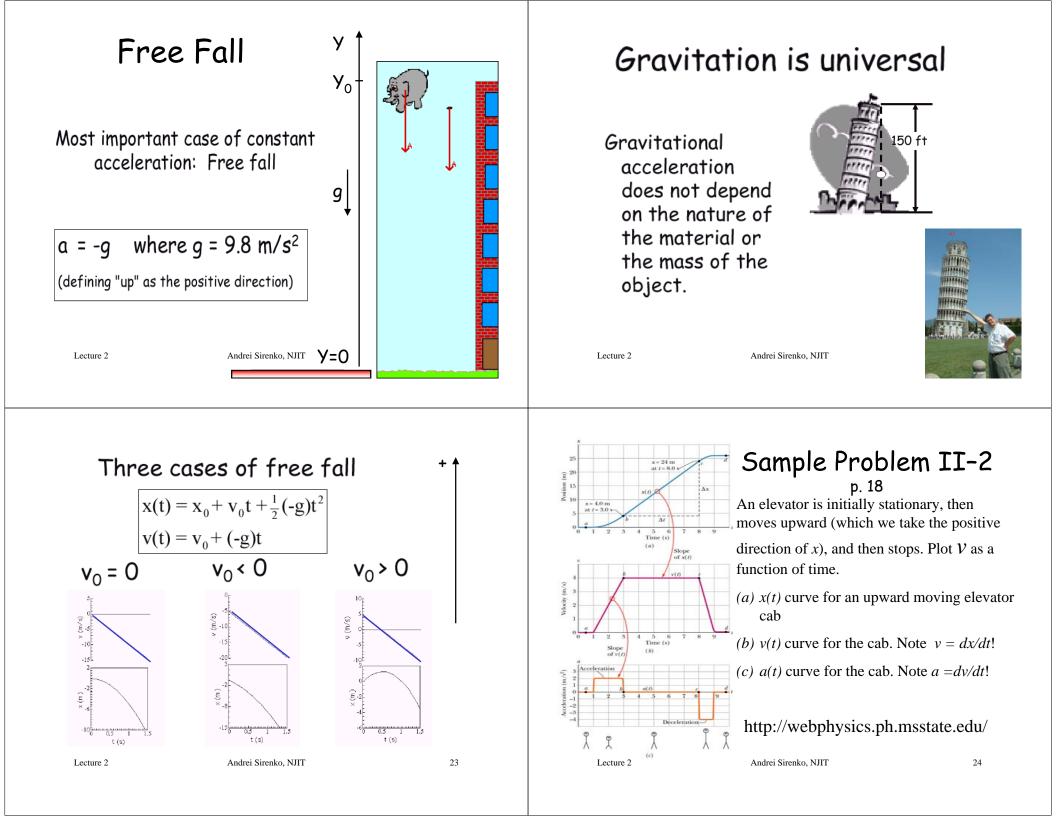
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ime constants

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Conclusions: Motion along a straight line

the simplest type of motion
the groundwork for more complex motion
 <u>Kinematical variables in one dimension</u>

Position: x(t) meters
 Velocity: v(t) meters/second

Acceleration: a(t) meters/second ²

All depend on time

All are vectors: have direction and magnitude.

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TABLE 2-1 Equations for Motion with Constant Acceleration^a

Equation Number	Equation	Missing Quantity
2-11	$v = v_0 + at$	x - x ₀
2-15	$x - x_0 = v_0 t + \frac{1}{2}at^2$	ν
2-16	$v^2 = v_0^2 + 2a(x - x_0)$	Ĺ
2-17	$x - x_0 = \frac{1}{2}(v_0 + v)t$	а
2-18	$x - x_0 = vt - \frac{1}{2}at^2$	ν_0

^a Make sure that the acceleration is indeed constant before using the equations in this table.

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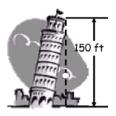
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Next Lecture: Motion in 2D and 3D + Vectors

Three dimension (2D) One dimension (1D) Position: **x(t)** m r(t) m Position: Velocity: v(t) m/s $a(t) m/s^2$ Acceleration: $\dot{\mathbf{v}}$ m/s Velocity: All are vectors; have direction and Acceleration: $\overline{a(t)}$ m/s² magnitude. X=0 Lecture 2 Andrei Sirenko, NJIT 27

Lecture QZ2

2. A stone is dropped from the height of 150 ft with no initial velocity. What is the rock's speed after the first 2 seconds. (Neglect the air resistance). *Hint:* The free fall acceleration $g = 9.8 \text{ m/s}^2$ 150 ft \rightarrow ? m



Homework:

• Utexas

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